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Marking Scheme Applied Mathematics

Term - I Code-241

| Q.N. | Correct option | Hints/Solutions |
|------|----------------|---|
| | - | Section – A |
| 1 | С | $5 \odot_8 11 = (5 \times 11) \mod 8 = 55 \mod 8 = 7$ |
| 2 | а | For distinct $x, y > 0$; $AM > GM \Rightarrow \frac{x+y}{2} > \sqrt{xy} \Rightarrow x + y > 2\sqrt{xy}$ |
| 3 | С | Let x be the speed of the stream |
| | | $ \therefore 8 + x = 3(8 - x) \Rightarrow 4x = 16 \Rightarrow x = 4 \text{km/h} $ |
| 4 | d | Since $3 (x+4)$ is true for $x=35$ |
| 5 | d | $ adj(A) = A ^{n-1} \Rightarrow adj(A) = (-2)^2 = 4$ The summation of product of a_{ij} of 2 nd column with corresponding c_{ij} of 3 |
| 6 | а | |
| | | column =0 |
| 7 | С | $ AB = 12 \implies A B = 12$ |
| 8 | | $\Rightarrow -4 A = 12 \Rightarrow A = -3$ If $\Delta = 0$ and at least $(one \ of \ \Delta_x, \ \Delta_y, \ \Delta_z) \neq 0$ |
| 0 | а | |
| 0 | | The system of linear equations has no solution $C(x) = x^2 + 30x + 1500$ |
| 9 | С | $C(x) = x^{2} + 30x + 1500$ $MC = C'(x) = 2x + 30$ |
| | | MC = C(x) - 2x + 30 MC when 10 units are produced = $C'(10) = ₹50$ |
| 10 | С | $y = \frac{1}{r} \Rightarrow \frac{dy}{dr} = -\frac{1}{r^2} < 0 \text{ for } (-\infty, 0) \text{ and } (0, \infty)$ |
| | • | $y = \frac{1}{x} \Rightarrow \frac{1}{dx} = -\frac{1}{x^2} < 0 \text{ for } (-\infty, 0) \text{ and } (0, \infty)$ |
| 11 | b | dv dv |
| '' | D | $y = x^3 + x \Rightarrow \frac{dy}{dx} = 3x^2 + 1 \Rightarrow \left(\frac{dy}{dx}\right)_{x=1} = 4$ |
| | | $\langle cost \rangle \gamma \equiv 1$ |
| 12 | b | ∴ Equation to target is $y - 2 = 4(x - 1) \Rightarrow 4x - y = 2$ Expected number of votes= $np = \frac{70}{100} \times 120000 = 84000$ |
| 13 | d | The total area under the normal distribution curve above the base line is 1 |
| 14 | С | $\sum p_i = 1 \Rightarrow 7k = 1 \Rightarrow k = \frac{1}{7}$ |
| | | |
| | | Now, $P(x \ge 3) = 3k = \frac{3}{7}$ |
| 15 | b | For Poisson distribution |
| | D | Mean = variance = $np = 20000 \times \frac{1}{10000} = 2$ |
| 4.6 | لم | |
| 16 | d | $\sum_{k=0}^{\infty} \frac{e^{-\lambda} \lambda^k}{k!} = \text{Total probability} = 1$ |
| 17 | b | $p = 0.05 = \frac{1}{20}, q = \frac{19}{20}$ |
| | | 20 20 |
| | | $P(x \ge 1) = 1 - P(0) = 1 - 6_{c_0} (\frac{1}{20})^0 (\frac{19}{20})^6 = 1 - (\frac{19}{20})^6$ |
| | | 20 20 20 |
| 18 | С | In Laspeyre's price index the weight are taken as base year quantities |
| 19 | а | $P_{01}^P = \frac{\sum p_1 q_1}{\sum p_0 q_1} \times 100 = \frac{506}{451} \times 100 = 112.19$ |
| 20 | С | Marshall- Edgeworth formula uses the arithmetic mean of the base and |
| - | - | current year quantities. |

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| | | Section –B |
|----|----|---|
| 21 | С | Since Vijay is faster by 4 secs. |
| | | \therefore he beats Samuel by $=\frac{100}{16} \times 4 = 25 \ meters$ |
| 22 | b | ∵ 876 (mod24) = 12 |
| | | ∴ 8.40 PM will change to 8.40 AM after 12 hours, further after 30 minutes the time |
| | | will be 9.10 AM |
| 23 | b | Let total capital be = x & let C's contribution = y , B's contribution = $\frac{x}{2}$, A's |
| | | Contribution = $\frac{x}{3} + y$. |
| | | Now (A+B+C)'s contribution = $x \Rightarrow x = 6y$ |
| | | hence their contributions are $2y + y$: $2y$: y i. e., in the ratio 3: 2: 1 |
| 24 | d | The relation R_m defined as $a \equiv b \pmod{m}$ is reflexive, symmetric and transitive |
| | | ∴ R _m is an equivalent relation |
| 25 | b | Time ratio = 2 : 3 : 4 |
| | | Profit sharing ratio = 6: 7: 8 |
| | | Investment ratio = $\frac{6}{2}:\frac{7}{3}:\frac{8}{4} \left(\frac{Profit}{Time}\right)$ |
| | | = 9: 7:6 |
| 26 | С | $2a + b + c - 3d = b + c (\because a = d = 0)$ |
| | | $= b + (-b)(\because c = -b)$ |
| 07 | _1 | |
| 27 | d | $1 - a_{11}, 1 - a_{22} > 0$ and $ I - A > 0$ and it |
| | | is true only for $\begin{pmatrix} 0.3 & 0.2 \\ 0.1 & 0.5 \end{pmatrix}$ |
| 28 | С | y = x has a sharp point at $x = 0$ |
| 20 | | y = x has a sharp point at $x = 0y = x $ is continuous but not differentiable at $x = 0$ |
| 29 | а | $\frac{dy}{dx} = \frac{dy/dt}{dx/dt} = \frac{2a}{2at} = \frac{1}{t} \Longrightarrow \frac{d^2y}{dx^2} = -\frac{1}{t^2} \times \frac{dt}{dx} = -\frac{1}{2at^3}$ |
| 30 | | $\frac{dx}{dx/dt} = \frac{2at}{2at} = \frac{t}{t} = \frac{dx^2}{dx} = \frac{t^2}{dx} = \frac{2at^3}{2at^3}$ $TC = VC + FC = x^2 + 2x + 10000$ |
| 30 | С | $AC = x + 2 + \frac{10000}{x}$ |
| | | λ |
| | | $\frac{d(AC)}{dx} = 1 - \frac{10000}{x^2} = 0 \Longrightarrow x = 100$ |
| 31 | а | Prize (x_i) p_i $x_i p_i$ |
| | | $\frac{1}{10000}$ 50 |
| | | $0 \frac{9999}{}$ |
| | | So, $\sum x_i p_i = 50$ |
| | | Net expected gain = $50 - 100 = -50$ |
| | | So gain is -50 |
| 32 | С | $P(r < 2) = P(0 \text{ or } 1) = 10_{c_0} (\frac{1}{2})^{10} + 10_{c_1} (\frac{1}{2})^{10} = \frac{1+10}{1024} = \frac{11}{1024}$ |
| | _ | |
| 20 | d | $n = 100, p = \frac{1}{10}, q = \frac{9}{10}$ |
| 33 | | |
| | | $\sigma = \sqrt{npq} = \sqrt{100 \times \frac{1}{10} \times \frac{9}{10}} = 3$ |
| 34 | а | P(x > 518) = 1 - p(x < 518) |
| | | = 1 - P(z < 1) = 1 - 0.8413 |
| 25 | b | = 0.1587 $P(x < 54) - P(z < 15)$ |
| 35 | ט | P(x < 54) = P(z < 1.5) = 0.9332 |
| | | = 93.32 % |
| 1 | 1 | |

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| 36 | b | $\frac{\sum P_1}{\sum P_0} \times 100 = \frac{340}{300} = 113.34$ |
| 37 | b | $P_{01}^F = \sqrt{(P_{01}^L \times P_{01}^P)} = \sqrt{118.4 \times 117.5} = 117.95$ |
| 38 | С | Since, $L: P = 28: 27$, $\therefore \frac{\sum p_1 q_0}{\sum p_0 q_0} \times \frac{\sum p_0 q_1}{\sum p_1 q_1} = \frac{28}{27}$ |
| | | $\Rightarrow 9x + 36 = 40 + 8x \Rightarrow x = 4$ |
| 39 | а | $\frac{\sum \left(\frac{p_1}{p_0}\right)(p_0q_0)}{\sum (p_0q_0)} \times 100$ |
| 40 | d | $\Sigma(p_0q_0)$ Time reversal Test is satisfied by Fishers ideal index |
| 41 | a | C = -5% $d = 10%$ $m = 7%$ |
| | | (d-m):(m-c)=1:4 |
| | | Quantity sold at 10 % profit = $\frac{4}{5} \times 250 = 200$ Kg |
| 42 | d | Portion of cistern filled by both pipes in 1 hour = $\frac{1}{8} + \frac{1}{12} = \frac{5}{24}$. |
| | | Time taken by both pipes to fill the cistern = 4 h 48 mints |
| | | Time taken to fill tank due to leakage = 5 h |
| | | Work done by leakage in 1 $h = \frac{5}{24} - \frac{1}{5} = \frac{1}{120}$ |
| 40 | | Time taken by leakage to empty the tank=120 h |
| 43 | а | $TR = px = \frac{75x - x^2}{3}$ |
| | | $P = TR - TC = \frac{75x - x^2}{3} - (3x + 100)$ |
| | | $\frac{dP}{dx} = 22 - \frac{2}{3}x = 0 \Longrightarrow x = 33$ |
| 44 | d | $P(X \ge 1) = 1 - P(0) = 1 - \frac{e^{-2}(2)^0}{0!}$ |
| | | |
| 45 | С | $= 1 - e^{-2} = 0.8647$ $P (10 < x < 30)$ |
| | | = P(-2.5 < Z < 2.5) |
| | | = P(z < 2.5) - P(z < -2.5) = 0.9876 |
| 46 | b | Since elements of technology matrix a_{ij} , represents units of sector i to |
| | | produce 1 unit of sector <i>j</i> |
| | | $\begin{array}{ll} \therefore \begin{pmatrix} 0.50 & 0.25 \\ 0.10 & 0.25 \end{pmatrix} \text{ is the technology matrix} \end{array}$ |
| 47 | С | $I - A = \begin{pmatrix} 0.50 & -0.25 \\ -0.10 & 0.75 \end{pmatrix} \Longrightarrow (I - A)^{-1} = \frac{20}{7} \begin{pmatrix} 0.75 & 0.25 \\ 0.1 & 0.5 \end{pmatrix}$ |
| | | V=0.10 0.757 V 7 V 0.1 0.57 |
| | | $=\frac{1}{7}\binom{15}{2} \qquad \frac{5}{10}$ System is viable if $ I-A >0$ and |
| 48 | b | System is viable if $ I - A > 0$ and |
| | | $1 - a_{11} > 0$, $1 - a_{22} > 0$ |
| 49 | а | $X = (I - A)^{-1}D = \frac{1}{7} {15 \choose 2} {10 \choose 14000} = {25000 \choose 22000}$ |
| 50 | d | Internal consumption=total production-external demand |
| | u | internal consumption-total production external demand |
| | | $= \binom{25000}{22000} - \binom{7000}{14000} = \binom{18000}{8000}$ |
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